



St. Patrick's High School, Keady  
Mathematics Department

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GCSE Mathematics Practice Booklet

**M6**

## Topic 6 – Geometry and Measure 2

Angles in Polygons

Scale drawings and bearings

Constructions and Loci

Imperial and metric units

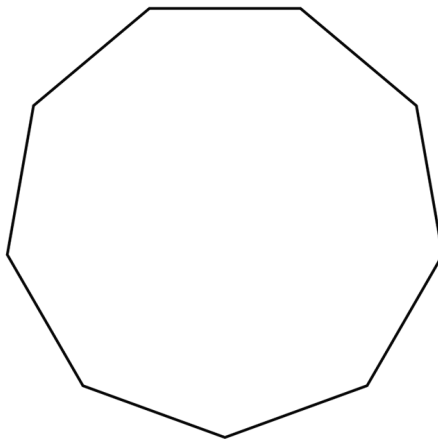
Section A – Non Calculator Questions / Mark Scheme Pages 1-52

Section B – Calculator Questions / Mark Scheme Pages 52-73

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Questions taken from CCEA Past Papers

**Q1**



This is a drawing of a regular nonagon (a shape with nine sides of equal length).

Explain why the size of an interior angle is  $140^\circ$

[2]

Q2

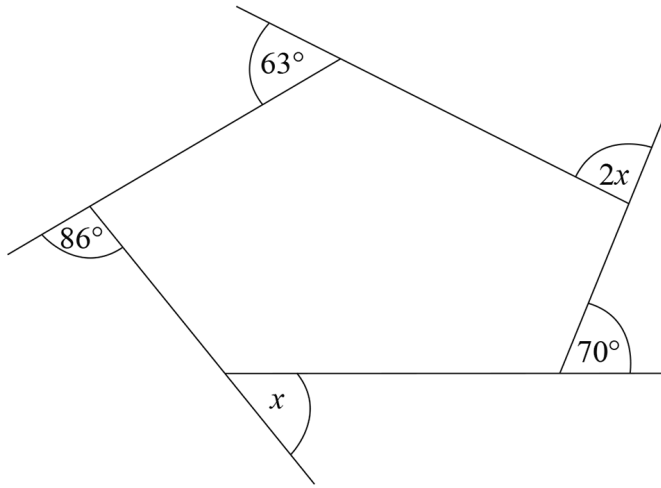


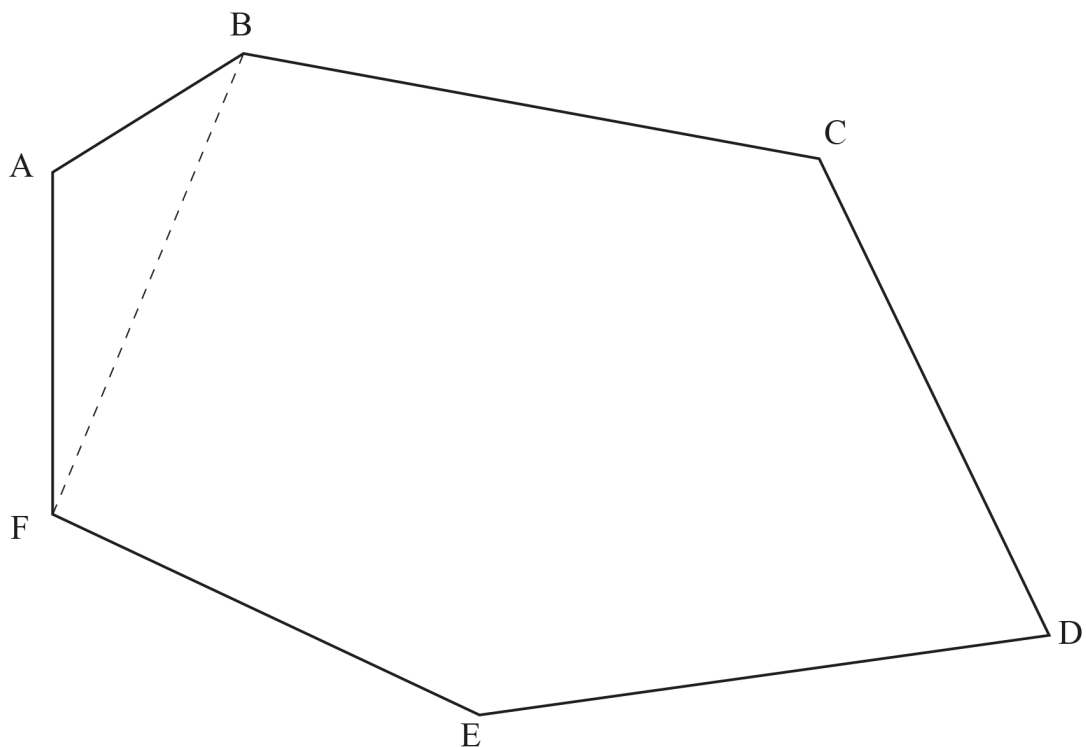
Diagram not drawn accurately

Work out the size of angle  $x$  in the diagram above.

Answer  $x =$  \_\_\_\_\_  $^\circ$  [4]

Q3

Polygon ABCDEF may be divided into triangles. One triangle is shown.



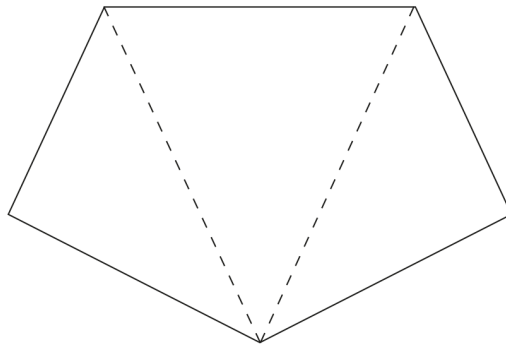
Use triangles to work out the sum of the interior angles of the polygon ABCDEF.

You **must show** your working.

Answer \_\_\_\_\_ ° [2]

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**Q4**



**(a) (i)** What is the total of all the angles in the three triangles shown?

Answer \_\_\_\_\_ ° [1]

**(ii)** What is the sum of the interior angles of a five-sided polygon?

Answer \_\_\_\_\_ ° [1]

**(b)** What is the sum of the interior angles of a seven-sided polygon?

Answer \_\_\_\_\_ ° [2]

**Q5**

ABCDE is a pentagon.

Lines AF and CG are straight lines.

Work out the value of  $x + y + z$

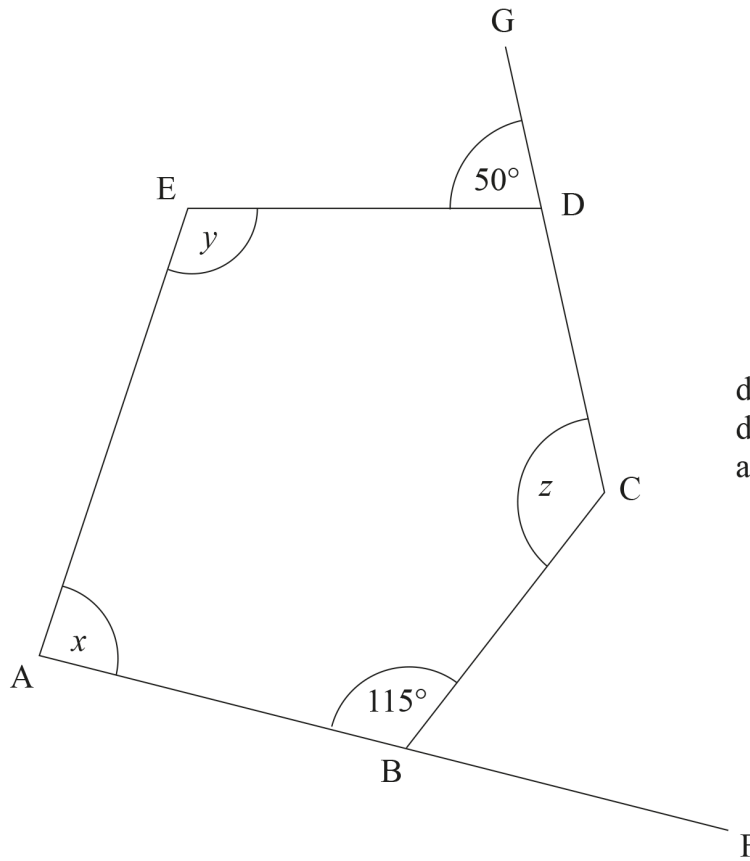


diagram not drawn accurately

Answer \_\_\_\_\_  $^\circ$  [5]

Q6

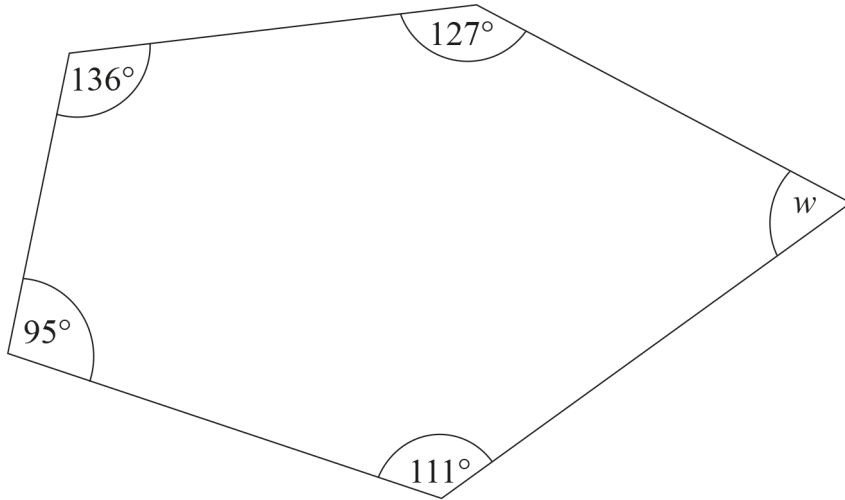


diagram  
not  
drawn  
accurately

Work out the size of the angle  $w$  in the pentagon drawn above.

Answer  $w =$  \_\_\_\_\_  $^\circ$  [3]

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**Q7**

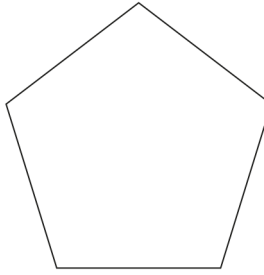


diagram not  
drawn accurately

Calculate the interior angle of a regular pentagon.

Answer \_\_\_\_\_ ° [2]

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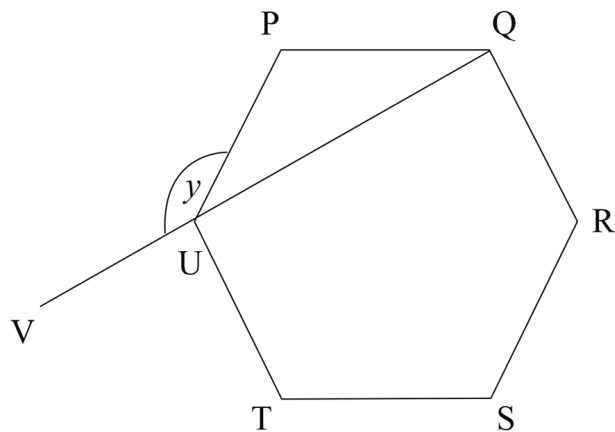
**Q8**

PQRSTU is a regular hexagon.

QUV is a straight line.

Show that angle  $y$  is  $150^\circ$

**Give reasons for each step of your work.**



[4]

**Q9** Three regular polygons meet at point P as shown.

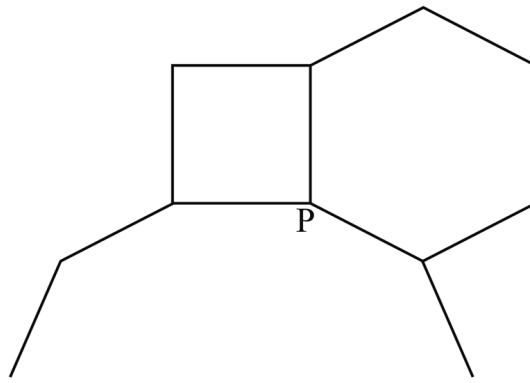


diagram not drawn accurately

One polygon is a square and another polygon is a regular hexagon. How many sides has the third polygon?

**Explain your working clearly.**

Answer \_\_\_\_\_ sides [4]

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- Q10** (a) Four equilateral triangles and a square are joined together as shown in the diagram.

Calculate the size of angle  $g$ .

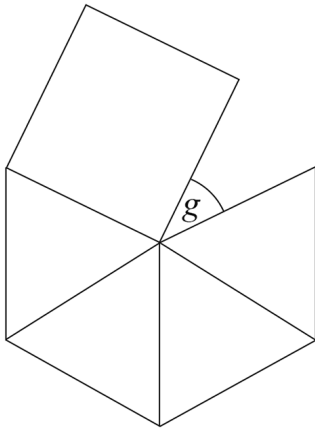


diagram not  
drawn accurately

Answer  $g =$  \_\_\_\_\_  $^{\circ}$  [3]

- (b) An equilateral triangle and a regular pentagon are joined together as shown in the diagram.

Calculate the size of angle  $h$ .

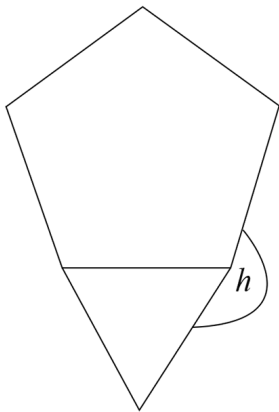
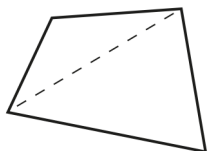


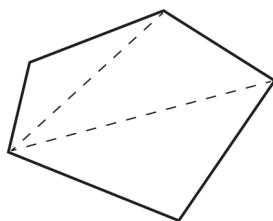
diagram not  
drawn accurately

Answer \_\_\_\_\_  $^{\circ}$  [3]

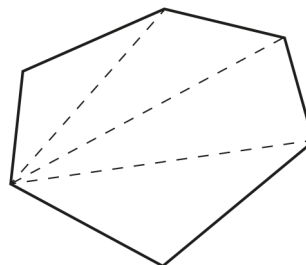
Q11



Quadrilateral



Pentagon



Hexagon

P is a polygon.

The sum of all the angles in P is three times the sum of the angles in a quadrilateral.

How many sides has P?

Answer \_\_\_\_\_ [2]

**Q12**

Each interior angle of a regular polygon is  $140^\circ$ .

How many sides has the polygon?

Answer \_\_\_\_\_ [2]

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**Q13**

On a diagram the distance between Belfast and Liverpool is 6.5 cm.

The bearing of Liverpool from Belfast is  $135^\circ$

Show the position of Liverpool on the diagram below.

Mark it clearly with  $\times$ .



[2]

**Q14** The bearing of a fishing boat from a lighthouse is  $118^\circ$ .

Work out the bearing of the lighthouse from the fishing boat.

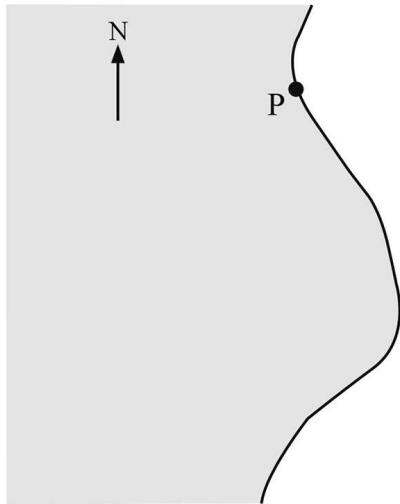
Answer \_\_\_\_\_  $^\circ$  [2]

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**Q15** A lifeboat leaves port P to answer an emergency call from a ship S.

The ship is 30 km from P on a bearing of  $120^\circ$

Using a scale of  $1 \text{ cm} = 4 \text{ km}$ , mark the position of the ship S.

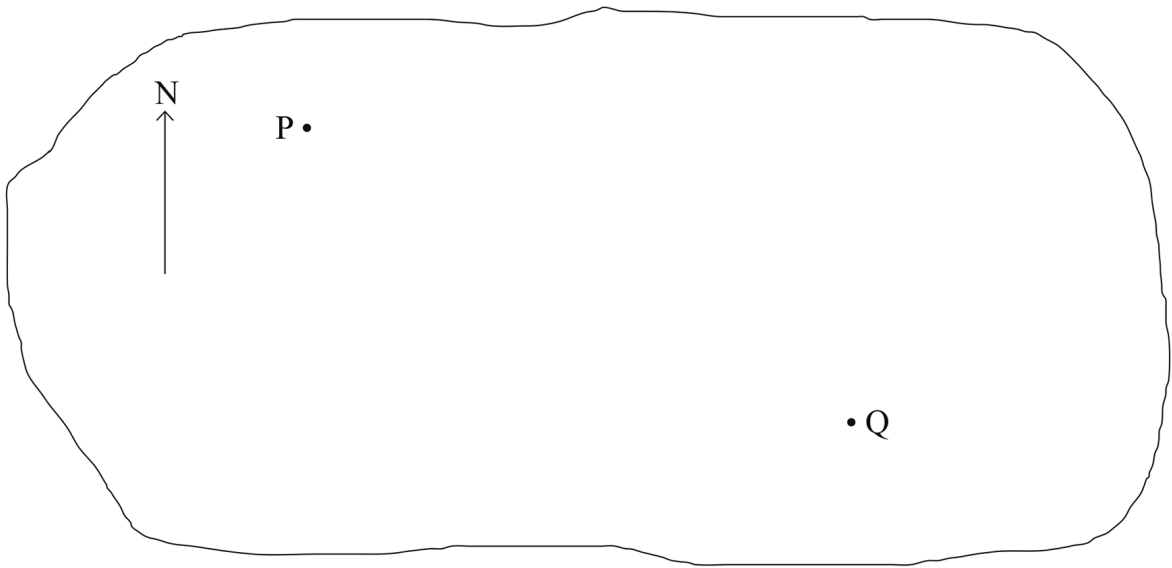


[2]



**Q16**

Towns P and Q are shown on the map.



(a) Measure the bearing of Q from P.

Answer \_\_\_\_\_ ° [1]

(b) Measure the bearing of P from Q.

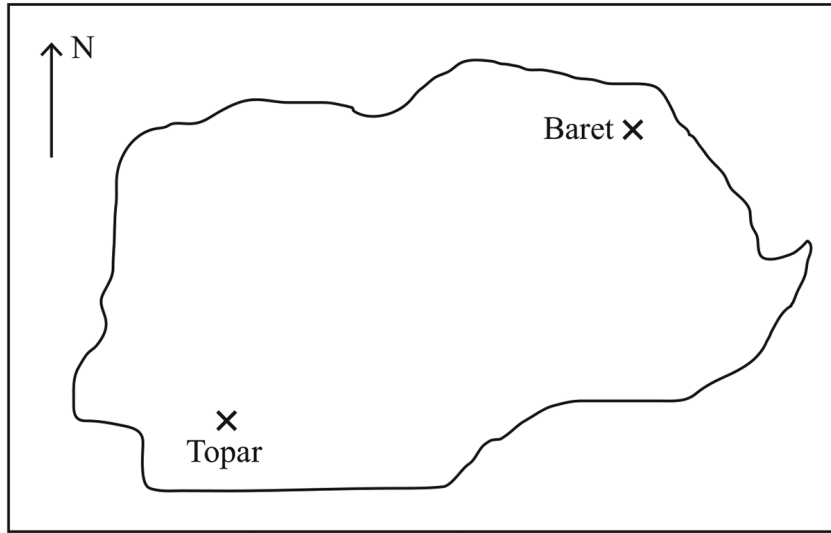
Answer \_\_\_\_\_ ° [1]

(c) The scale of the map is 1cm to 5 km.

Work out the actual distance between the two towns.

Answer \_\_\_\_\_ km [3]

Q17



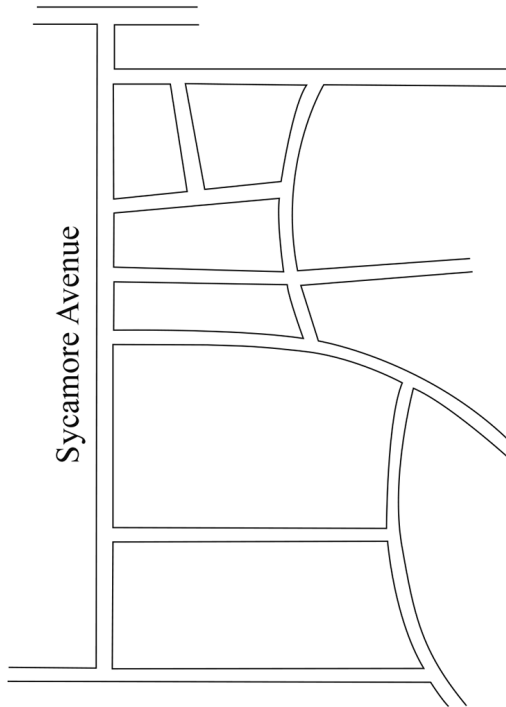
In the map above the scale is 1 cm = 60 km.

Find the actual distance between Baret and Topar.

Answer \_\_\_\_\_ km [3]

**Q18**

**5** Below is a street map showing Sycamore Avenue.



The actual length of Sycamore Avenue is 180 m.

Work out the scale of the map as a ratio in the form 1 : \_\_\_\_\_

Answer 1 : \_\_\_\_\_ [3]

**Q19** Two boats are 40 km apart.

Boat Y is due east of boat X as shown in the scaled diagram below.

The scale used is 1 cm = 5 km

Lobster pots are placed in a region which is less than 25 km from boat X and less than 30 km from boat Y.

Using a ruler and compasses, show this region on the diagram by shading.

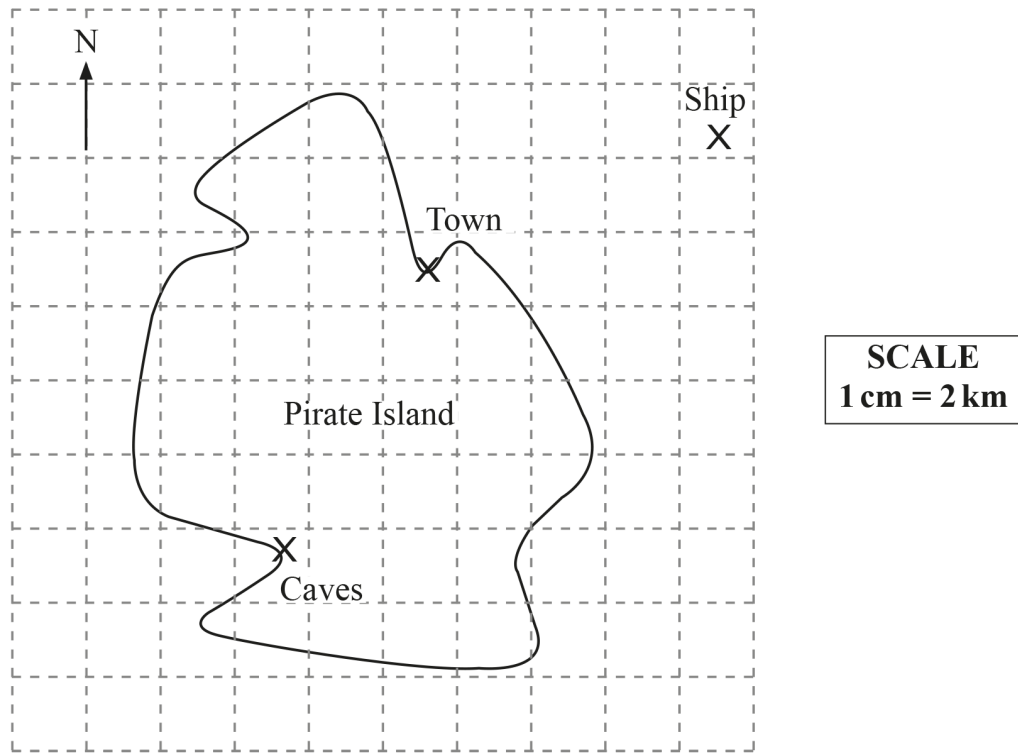
Boat X •

• Boat Y

[3]

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**Q20**



(a) Use the scale to find the distance from the town to the caves.

Answer \_\_\_\_\_ km [2]

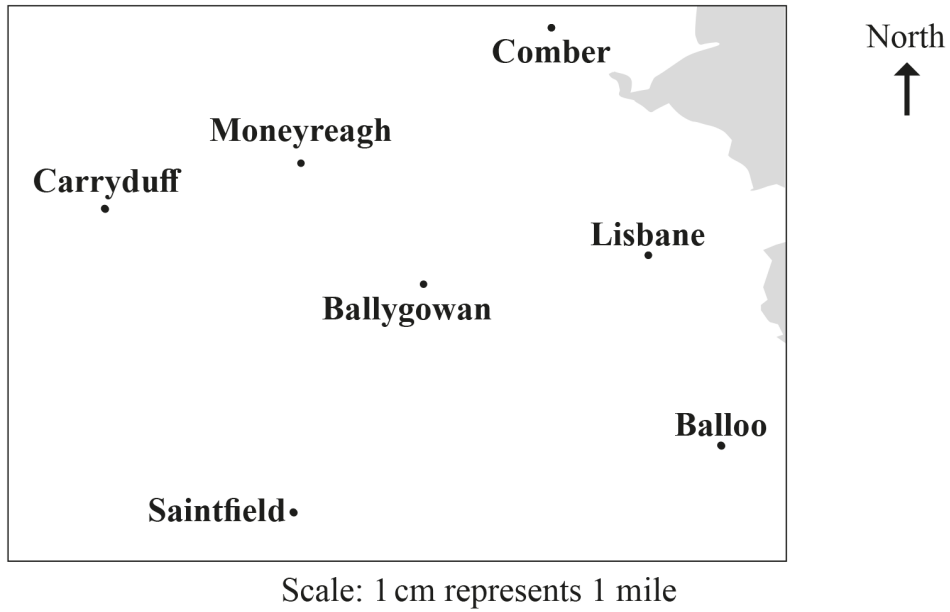
(b) Mark, with an X, the position of the buried treasure which is 6 km due South of the town. [1]

(c) Measure and write down the bearing of the ship from the town.

Answer \_\_\_\_\_ ° [2]

**Q21**

The map shows some places in Co Down.



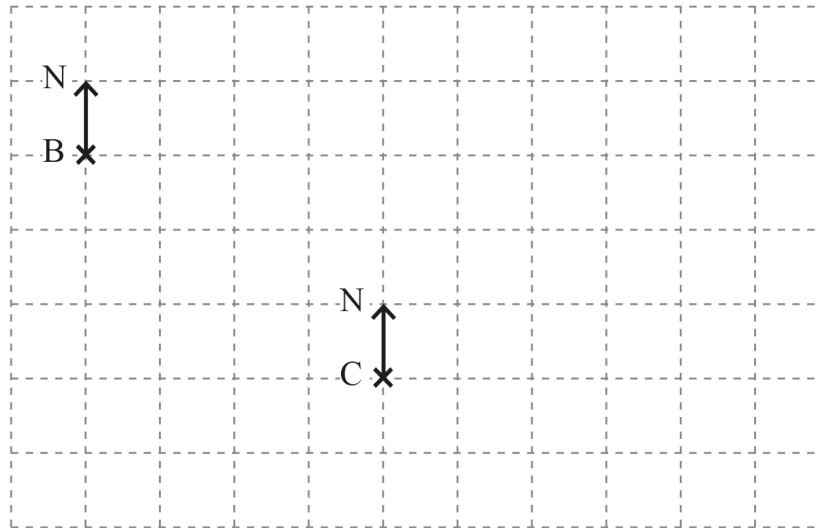
A bird flies direct from Carryduff to Balloo.

What is the actual distance the bird flies?

Answer \_\_\_\_\_ [2]

**Q22**

The diagram shows the position of two airports, B and C.



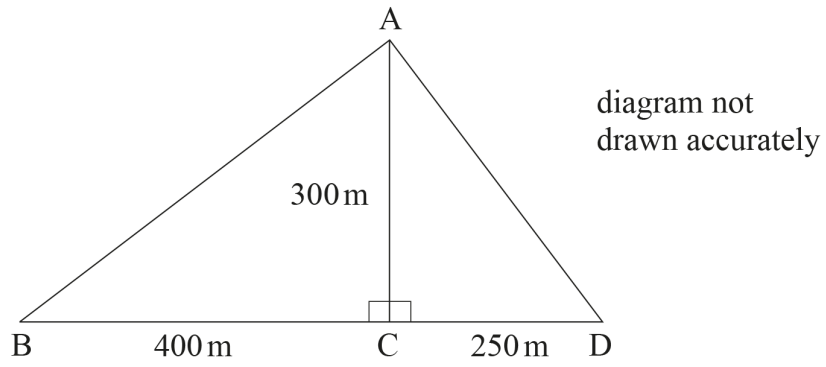
**(a)** Measure the bearing of C from B.

Answer \_\_\_\_\_° [1]

**(b)** A third airport D is 350 km on a bearing of  $055^\circ$  from airport C.

On the diagram, using a scale of 1 cm to 50 km, mark the position of airport D with a cross (x) and label it D. [2]

**Q23**



**(a)** In the space below, make a scale drawing of the diagram ABCD shown above.

Use a scale of 1 cm to 50 m.

B<sup>x</sup>

[3]

**(b)** Use your scale drawing to calculate the actual length of AB.

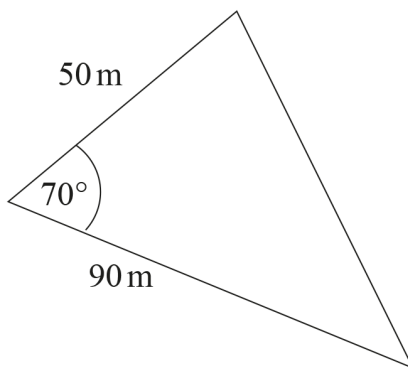
Answer AB = \_\_\_\_\_ m [1]



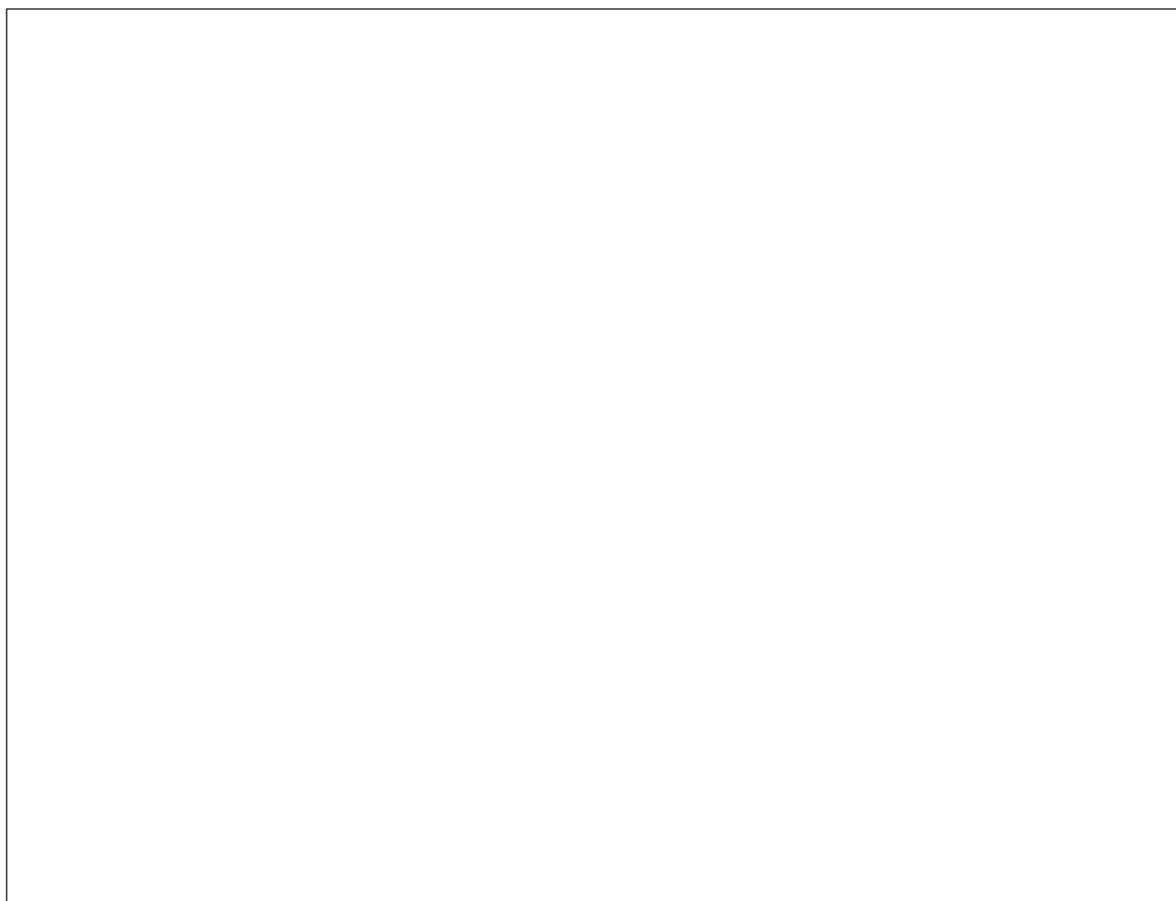
**Q24** The sketch below shows a triangular field.

Two sides have lengths of 50 m and 90 m.

The angle between these two sides is  $70^\circ$



Using a scale of 1 cm = 10 m, draw this triangular field in the space below. [3]

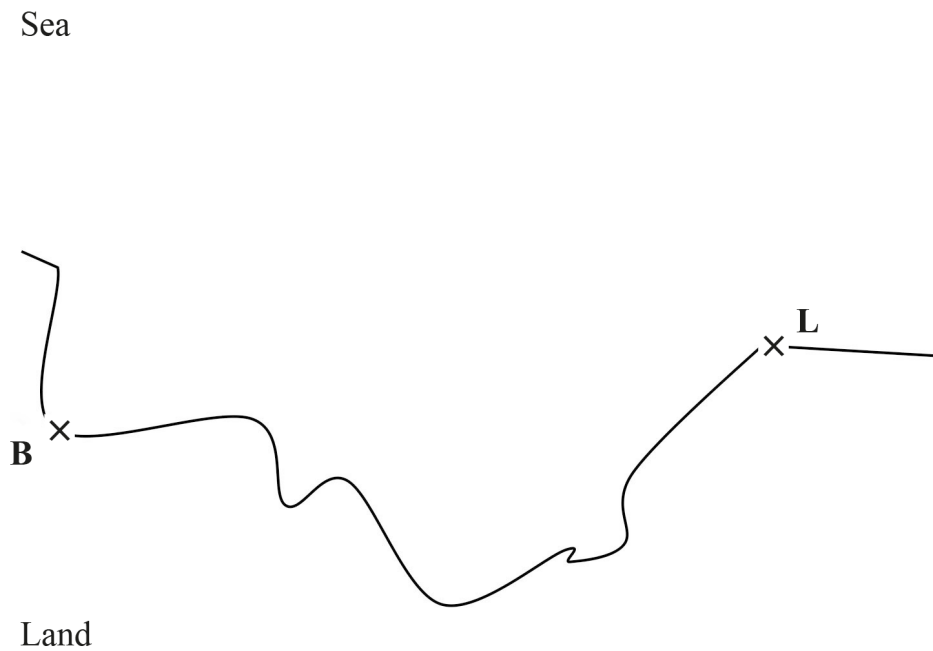


**Q25** The diagram shows a section of coastline with a lifeboat station marked at B and a lighthouse marked at L.

A sinking ship sends a distress signal.

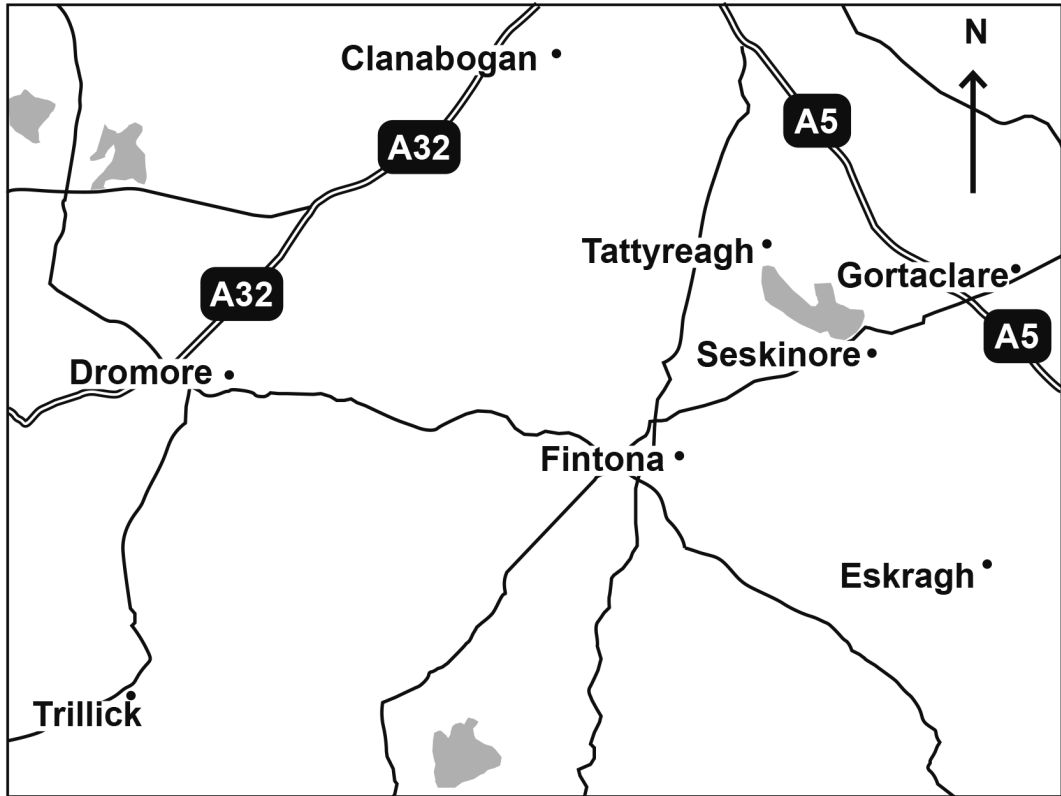
The ship is less than 70 km from B and less than 30 km from L.

Using a scale of 1 cm = 10 km, **shade the region** in which the ship could be.



[3]

Q26

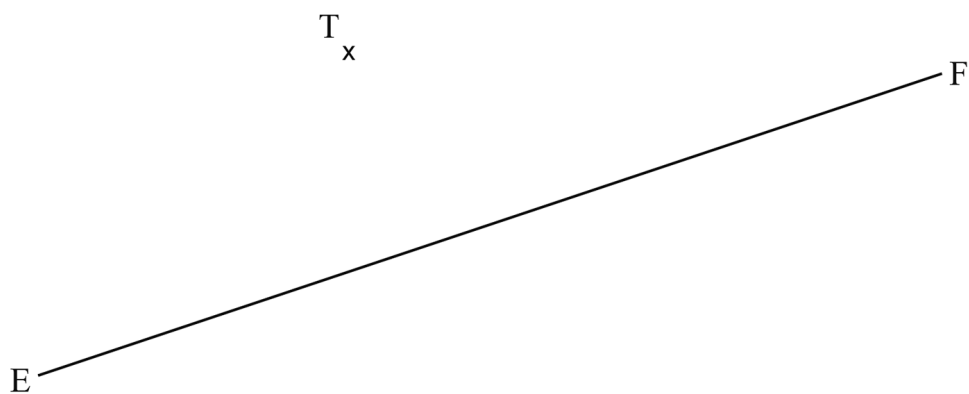


What is the bearing of Dromore from Fintona?

Answer \_\_\_\_\_° [1]

**Q27** Use ruler and compasses only to construct the perpendicular from the point T to the line EF.

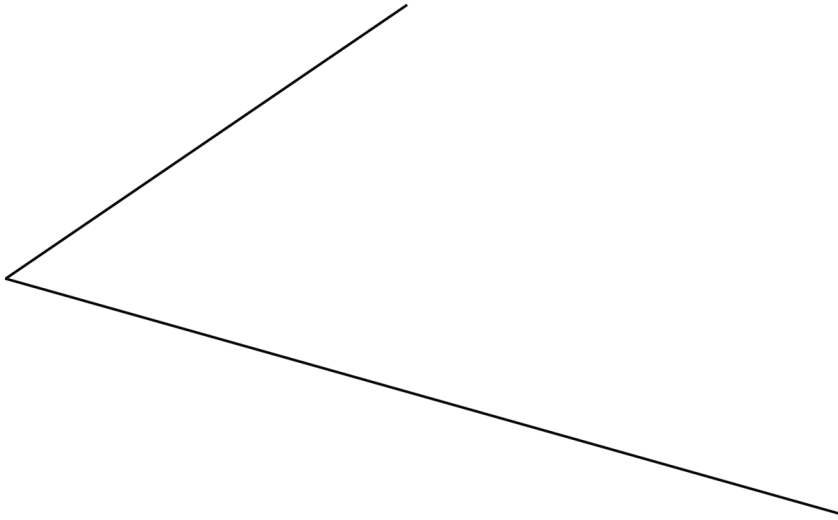
You must show all your construction work.



[2]

**Q28** Using a ruler and compasses only, construct the bisector of the angle below.

You must show all construction lines.

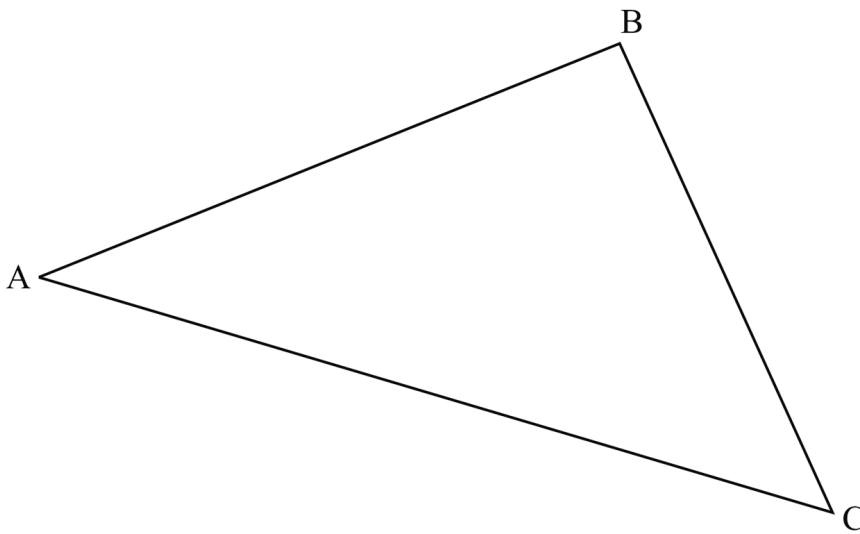


[2]

- Q29** (a) Use only a ruler and a pair of compasses to construct an equilateral triangle of side length 7 cm.  
**Show all your construction arcs.**

[2]

- (b) Use only a ruler and a pair of compasses to bisect the angle ABC in the triangle below.  
**Show all your construction arcs.**



[2]

Q30



ABCD is a rectangle, with  $AB = 9$  cm and  $BC = 7$  cm.

Shade the region inside the rectangle which is the locus of all points that are

(i) greater than 4.5 cm from C

and (ii) nearer to B than D.

[3]

**Q31**

PQRS is a rectangle.

Shade the region inside the rectangle which is

more than 5 cm from P

**and** more than 3 cm from the line QR.



[3]



**Q32**

Toby walks his dog in the field **ABCD** so that he is always:

more than 40 m from **A**;

nearer to **A** than **B**;

nearer to **DA** than **DC**.

Shade the area where Toby walks his dog.



Scale of diagram: 1 cm = 10 m

[4]

**Q33** Use a ruler and compasses to construct the perpendicular from the point P to the line shown.

**Leave all construction arcs and lines.**

P ×



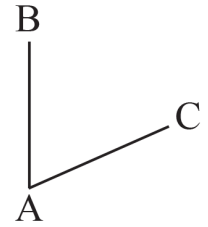
[2]



**Q34**

Cara read the following instructions to draw a triangle.

- Using a ruler, draw a 10 cm **vertical line** from point A.  
**Note: Point A has been marked below.**
- Label the other end B.
- Place a protractor at point A and measure an angle of  $70^\circ$  to the right of the line AB and mark with a dot.
- Draw an 8 cm line from A through your dot.
- Label the end of this line C.
- Join B to C.

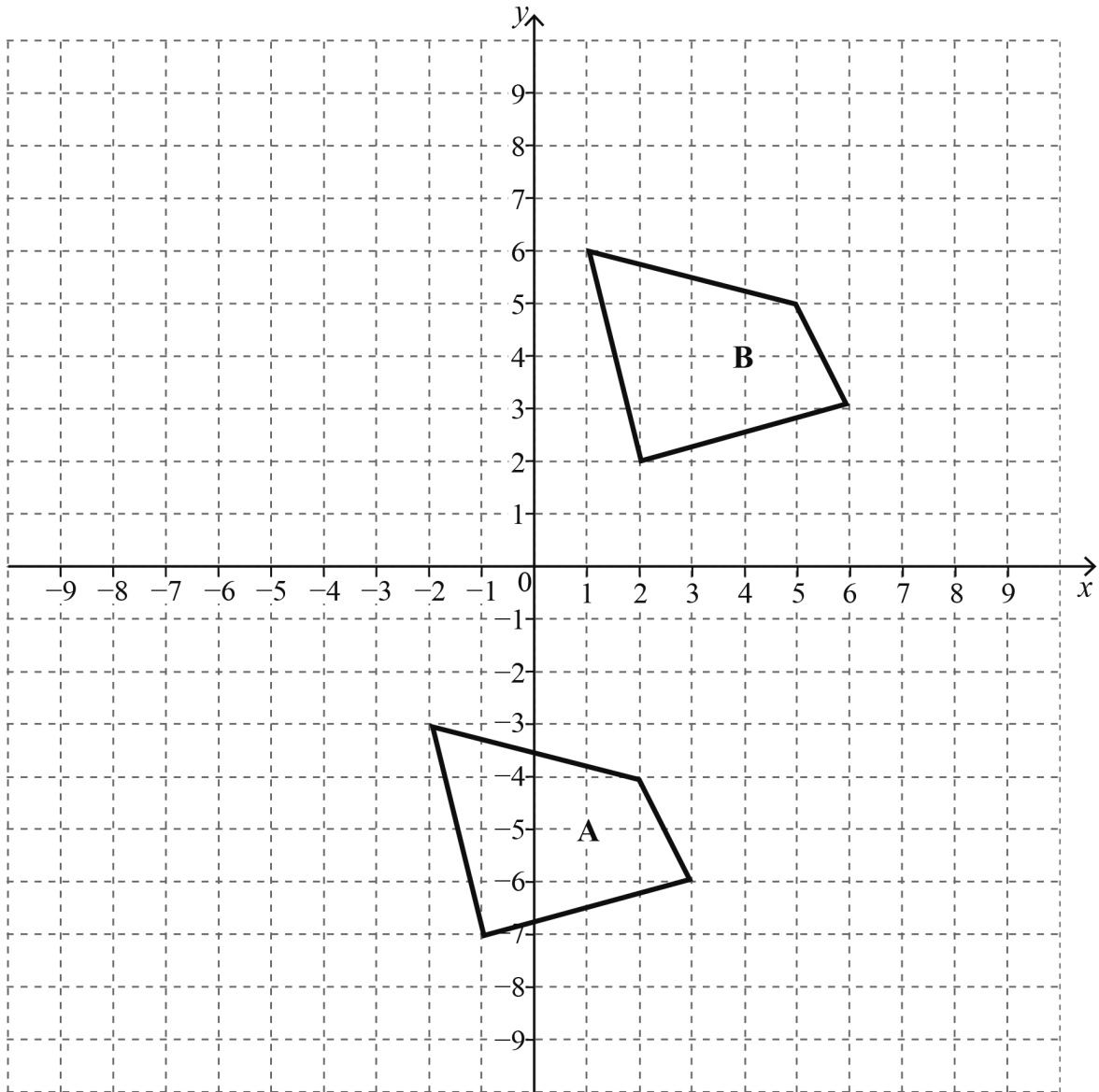


Follow the instructions and draw Cara's triangle below.

•  
A

[3]

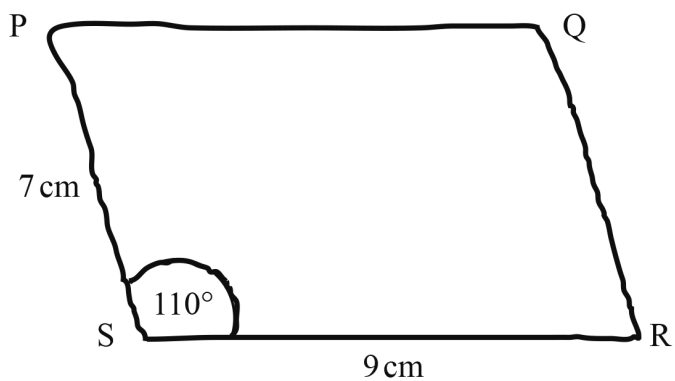
Q35



(a) Describe fully the single transformation that maps shape A onto shape B.

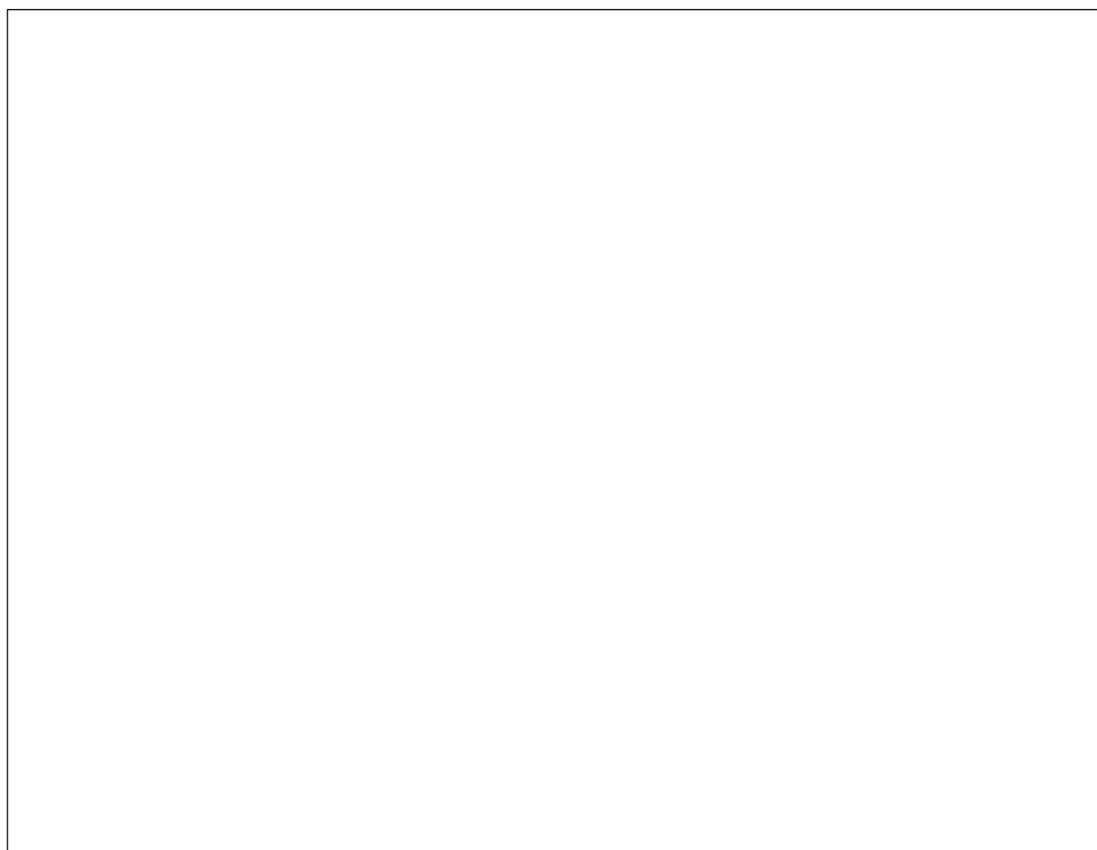
Answer \_\_\_\_\_ [2]

(b) A sketch of a parallelogram PQRS is shown.



It is not drawn to scale.

Use a ruler and protractor to draw an accurate diagram of the parallelogram in the box below.



[4]

**Q36** Which imperial unit would be used to measure

(a) a depth of several metres,

Answer \_\_\_\_\_ [1]

(b) a volume of twenty litres,

Answer \_\_\_\_\_ [1]

(c) a length of a few centimetres?

Answer \_\_\_\_\_ [1]

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**Q37** The petrol consumption of a car is 64 miles to the gallon.

How many miles should the same car do to the litre?

1 gallon = 8 pints. **Show your working clearly.**

Answer \_\_\_\_\_ [2]

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**Q38** An imperial unit for measuring the speed of a car is miles per hour.

Write down an imperial unit for measuring

(a) the length of a pencil,

Answer \_\_\_\_\_ [1]

(b) the weight of an apple.

Answer \_\_\_\_\_ [1]

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**Q39** Which **imperial** unit would be used to measure

(a) how much petrol a car tank can hold when full,

Answer \_\_\_\_\_ [1]

(b) how far a runner can run in 20 seconds,

Answer \_\_\_\_\_ [1]

(c) the weight of a biscuit?

Answer \_\_\_\_\_ [1]

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**Q40**

Change 20 miles/h to km/h.

Answer \_\_\_\_\_ km/h [2]

**Q41**

Here are some metric and imperial units.

**miles      pints      kilograms      millimetres**

Write them in the correct place in the table below.

<b>Metric units</b>	<b>Imperial units</b>

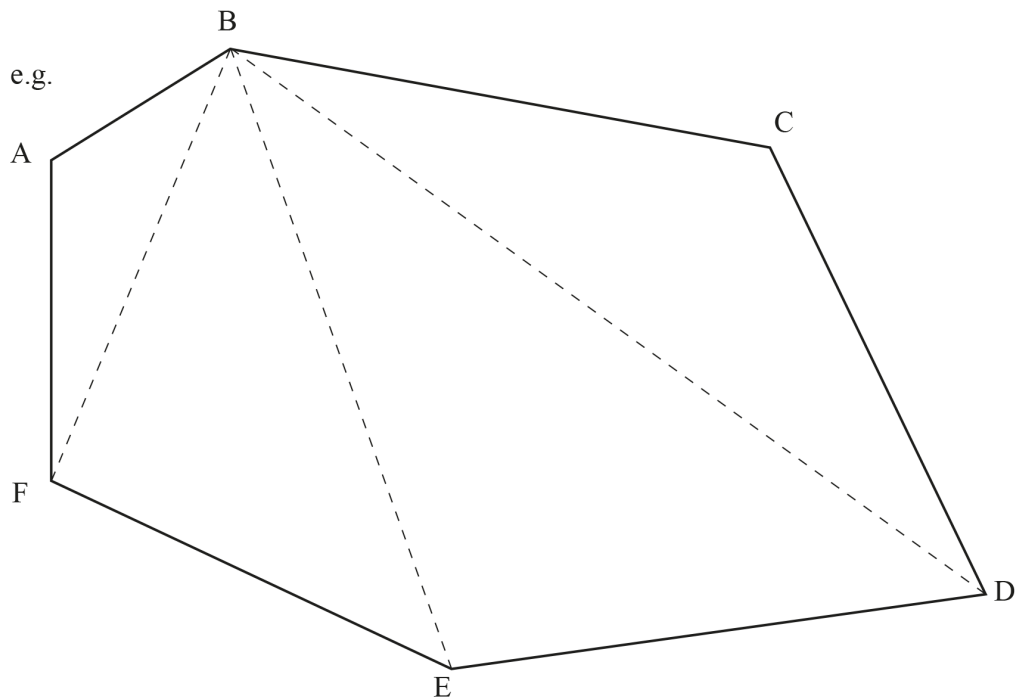
[2]



1. QWC  
 Exterior angle =  $360 \div 9 = 40$  **or**  $9 \times 40 = 360$  C1  
 Interior angle =  $180 - 40 = 140$  C1  
**or**  
 Interior =  $(180 \times 7) \div 9 = 140$  C2
- 

2.  $x + 86 + 63 + 2x + 70 = 360$  or equivalent M1 A1  
 ( $3x =$ ) 141 MA1  
 $x = 47$  MA1
- Alternative method:**
- $360 - (86 + 63 + 70)$  or  $360 - 219$  M1 A1  
 141 MA1  
 47 A1
-

3.



Angle sum =  $180 \times 4 = 720^\circ$

M1 A1

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4.

(a) (i) 540

A1

(ii) 540

A1

(b)  $540 + 180 + 180 = 900$   
or  $5 \times 180 = 900$

M1 A1

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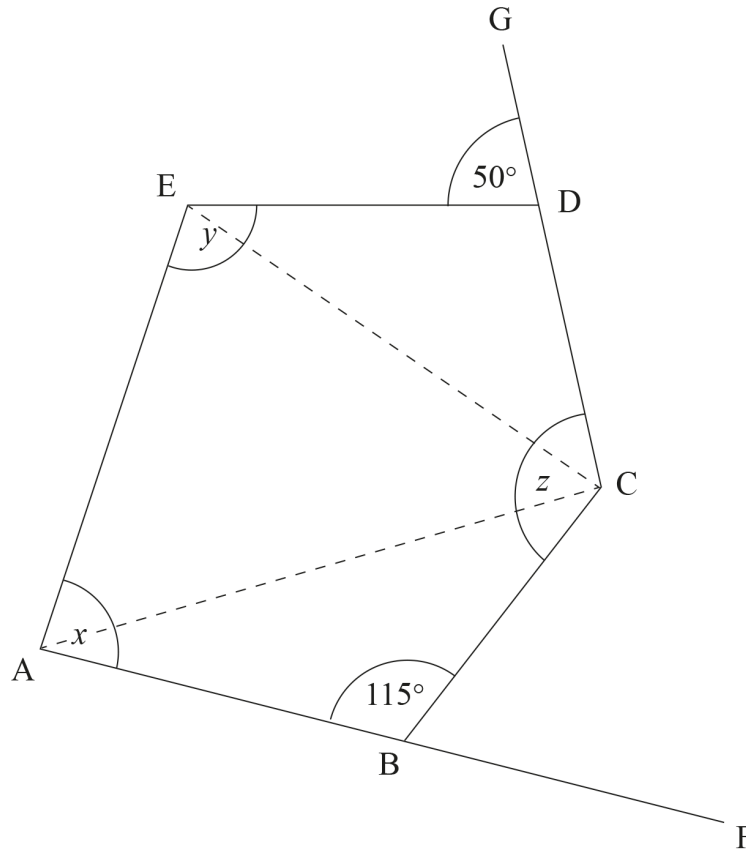
5.

$180 - 50 = 130$  follow through only for clear numerical error MA1

$115 + 130 = 245$  follow through only for clear numerical error MA1

Total of the angles in a Pentagon =  $540 = (3 \text{ triangles so } 3 \times 180^\circ)$  A1

$540 - 245 = 295$  M1 A1



6.

540 MA1

$540 - (127 + 136 + 95 + 111)$  (or  $540 - 469$ ) M1

71 A1

7.  $180 - 72$  M1  
 $108$  A1  
 or alternative answer  
 $540 \div 5$  M1  
 $= 108$  A1
- 

8. ext angle of hexagon  $= 360/6 = 60^\circ$  MA1  
 int angle of hexagon QPU  $= 120$  MA1  
 $PUQ = (180 - 120)/2 = 30^\circ$  isosceles triangle MA1  
 $y = 180 - 30 = 150^\circ$  straight line MA1
- 

9.  $720 \div 6 = 210$  C1  
 $360 - 210 = 150$  C1  
 $180 - 150 = 30$  C1  
 $\frac{360}{30} = 12$  C1
-

10. (a) Evidence of  $60 \times 4$  MA1  
 $360 - (240 + 90)$  MA1  
 30 A1
- (b) Evidence of 108 in correct place on diagram MA1  
 or saying interior angle =  $108^\circ$   
 $360 - (108 + 60)$  MA1  
 192 A1
- 
11. Using 2, 3, 4, 5, 6 triangles in polygons and drawing 7 and 8 sided polygons M1  
 8 A1  
 Allow MA1 for  $3 \times 360 = 1080$
- 
12.  $(180 - 140 =) 40$  MA1  
 $\left(\frac{360}{40} =\right) 9$  MA1
-

- |       |  |              |
|-------|--|--------------|
| 13.   | Correct bearing $\pm 2^\circ$                    | MA1          |
|       | Correct distance $\pm 2$ mm                      | MA1          |
| <hr/> |  |              |
| 14.   | $360 - 62$ or $118 + 180$<br>298                 | MA1<br>A1    |
| <hr/> |  |              |
| 15.   | Correct length of 7.5 cm ( $\pm 2$ mm)           | MA1          |
|       | Correct bearing of $120^\circ$ ( $\pm 2^\circ$ ) | MA1          |
| <hr/> |  |              |
| 16.   | (a) $119 \pm 2$                                  | A1           |
|       | (b) $299 \pm 2$                                  | A1           |
|       | (c) $8.4 \pm 0.2$<br>$8.4 \times 5 = 42 \pm 1$   | A1<br>M1, A1 |
| <hr/> |  |              |

17.	Distance = 6.5 cm( $\pm 2$ mm)	A1
	$6.5 \times 60$	M1
	390	A1

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18.	Sycamore Avenue = 9 cm or 90 mm	A1
	$9 \text{ cm} : 180\text{m} = 9 : 18\,000$	MA1
	1 : 2000	A1

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19.	Arc drawn 5 cm from X	MA1
	Arc drawn 6 cm from Y	MA1
	Correct area shaded	A1

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20.	(a) $4.2 \times 2 = 8.4$	A1 MA1
	(b) Correct position marked	MA1
	(c) $066 \pm 2$	M1 A1

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21.	8.9 miles (accept 8.7 to 9.1, including 9)	A1 A1
<hr/>		
22.	(a) correct angle	A1
	(b) correct length, correct angle	A1 A1
<hr/>		
23.	(a) Accurate scale drawing	A3
	(b) AB = 500m	A1
<hr/>		
24.	Line of 5 cm $\pm$ 0.2 cm drawn	A1
	Line of 9 cm $\pm$ 0.2 cm drawn	A1
	Angle of 70° ( $\pm$ 2°) drawn (P1 if triangle not drawn)	A1
<hr/>		



25.	Arc of 7 cm drawn from B	MA1
	Arc of 3 cm drawn from L	MA1
	Area bounded by the two arcs shaded	A1

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26.	280 ( $\pm 2^\circ$ )	A1
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27.	Correct construction lines used	M1
	Accurate perpendicular line drawn	A1

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28.	Construction arcs	M1
	Accurate angle bisector drawn	A1

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29. (a) One side of length 7 cm plus two intersecting construction arcs M1A1
- (b) Completion of accurately drawn triangle M1A1  
 Arcs on AB and BC, equidistant from B plus two intersecting arcs  
 Accurately drawn angle bisector
- 

30. Arc of circle drawn, centre C and radius 4.5 cm MA1  
 Perpendicular bisector of BD drawn MA1  
 Correct region shaded A1
- 

31. Arc drawn inside rectangle, centre P, radius 5 cm A1  
 Straight line drawn inside rectangle, 3 cm from QR A1  
 Correct region shaded inside rectangle A1
-

32.	Arc, radius 4 cm, centre A	MA1
	Bisector of AB	MA1
	Bisector of angle D	MA1
	Correct shading for arc and 2 lines	MA1

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33.	Arc from P crossing the line	MA1
	Arcs from crossing point to intersect and draw line from P to intersection	MA1

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34.	Line AB correctly drawn	MA1
	Angle of $70^\circ$ correctly drawn	MA1
	Line AC correctly drawn and triangle completed	MA1

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35.

- |  |       |
|--|-------|
| <b>(a)</b> Translation 3 right and 9 up  | A1 A1 |
| <b>(b)</b> 9 cm base ( $\pm 2$ mm)       | A1    |
| 110° angle at S ( $\pm 2^\circ$ )        | A1    |
| 7 cm parallel lines ( $\pm 2$ mm)        | A1    |
| 9 cm line parallel to base ( $\pm 2$ mm) | A1    |
- 

36.

- |                         |    |
|-------------------------|----|
| <b>(a)</b> Yard, foot   | A1 |
| <b>(b)</b> Pint, gallon | A1 |
| <b>(c)</b> Inches       | A1 |
- 

37.

- |   |    |
|---|----|
| 1 litre $\cong$ 1.75 pints or equivalent              | C1 |
| 8 miles to the pint and 6 miles to $\frac{3}{4}$ pint |    |
| so 14 to the litre                                    | C1 |
- 

38.

- |                  |    |
|------------------|----|
| <b>(a)</b> inch  | A1 |
| <b>(b)</b> ounce | A1 |
-

39. (a) gallon A1
- (b) yard, foot A1
- (c) ounces A1
- 

40.  $20 \times \frac{8}{5} = 32$  M1 A1
- (allow 1 for sight of 5, 8)
- 

41.

Metric Units	Imperial Units
kilograms	miles
millimetres	pints

All 4 correct A2 At least 2 correct A1

---

**Q1** The diagram shows a regular pentagon placed on top of a regular hexagon.

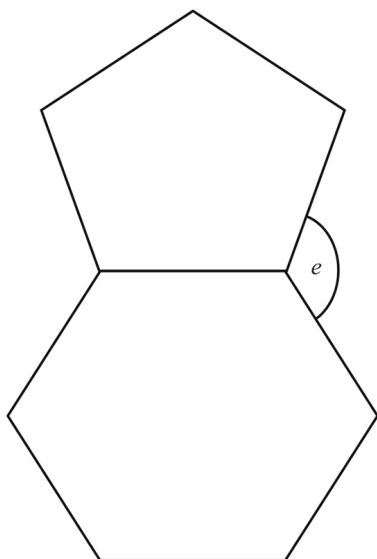


diagram not  
drawn accurately

Calculate the size of the angle marked  $e$ .

**Show all your working.**

Answer  $e =$  \_\_\_\_\_  $^{\circ}$  [4]

---

**Q2** A regular polygon has an interior angle of  $150^\circ$

**(a)** How many sides does it have?

Answer \_\_\_\_\_ [2]

Two of these polygons are placed edge to edge.

**(b)** What regular shape would fit exactly in the space beside these touching edges?

Answer \_\_\_\_\_ [2]

---

**Q3**

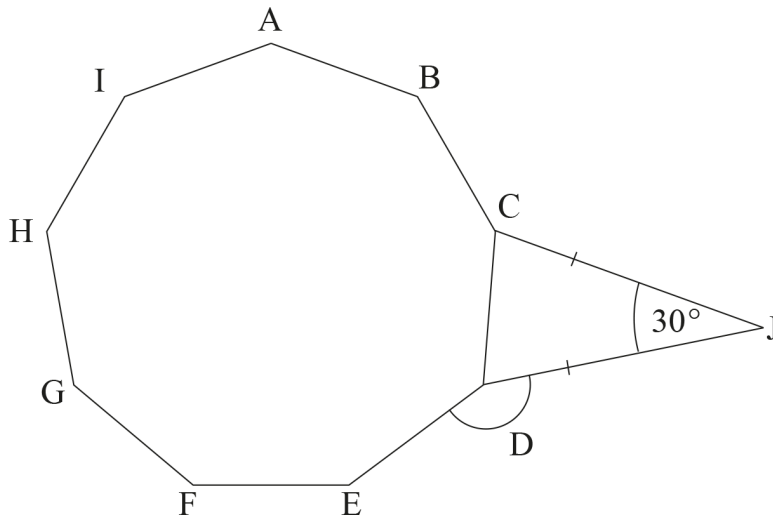


diagram not  
drawn accurately

The diagram shows a regular nonagon ABCDEFGHI with an isosceles triangle DCJ attached.

The angle DJC = 30°

Calculate the size of the angle EDJ.

**Show your working clearly.**

Answer \_\_\_\_\_° [4]



**Q4**

(a) Work out the size of an exterior angle of a 24-sided regular polygon.

Answer \_\_\_\_\_ ° [2]

(b) The sum of the interior angles of a regular polygon is  $1800^\circ$

Work out how many sides this polygon has.

Answer \_\_\_\_\_ [2]

---

**Q5** A regular polygon has exterior angles of size  $15^\circ$

(a) How many sides has the polygon?

Answer \_\_\_\_\_ [2]

(b) Bailey thinks all regular pentagons are congruent.

Is he correct?

Circle your answer.

yes      no      more information needed      [1]

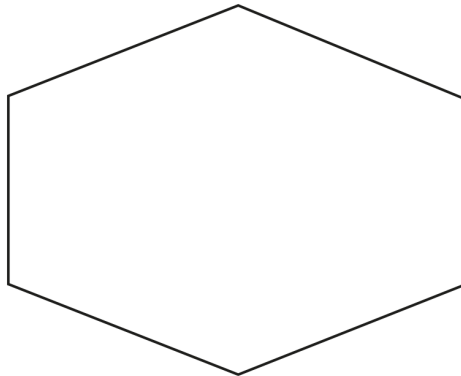
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**Q6**

Ellie and Tanisha are working out the sum of the angles in polygons.

Ellie decides to split the hexagon below into triangles.

(a) Show how this can be done.



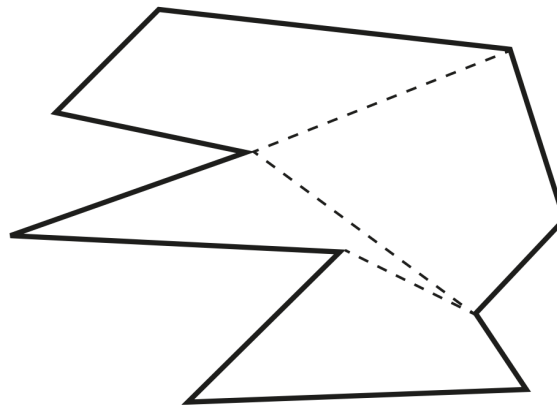
[1]

(b) What is the sum of the angles in the hexagon?

Answer \_\_\_\_\_° [1]

Tanisha splits the decagon below into quadrilaterals as shown.

(c) What is the sum of the angles in the decagon?



Answer \_\_\_\_\_° [1]

**Q7**

Calculate the size of the angle a.

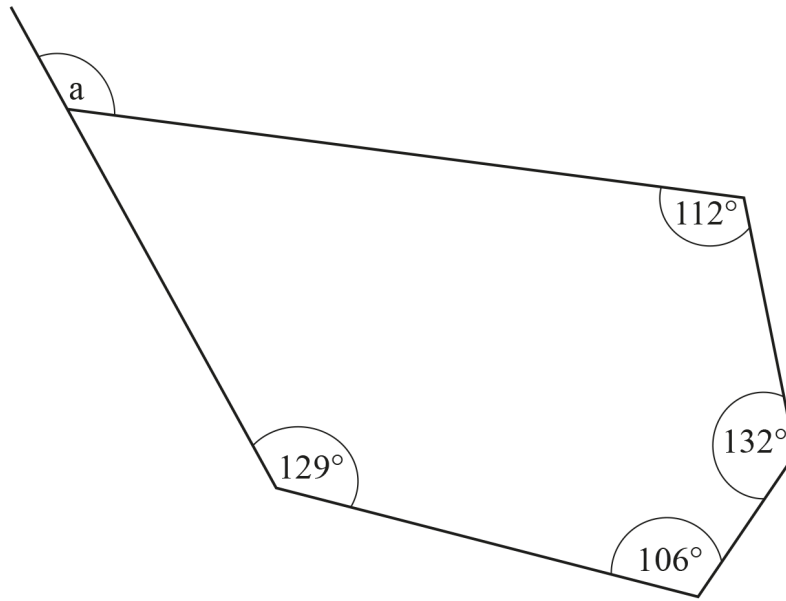


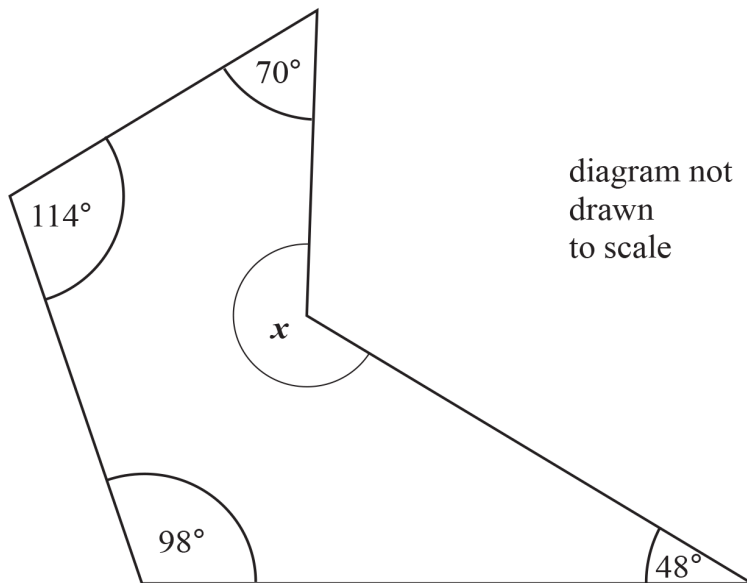
diagram  
not drawn  
accurately

Answer Angle a = \_\_\_\_\_  $^\circ$  [3]

---

**Q8**

A sketch of an irregular pentagon is shown.

Calculate the value of  $x$ .**Show all your working.**

Answer \_\_\_\_\_ ° [3]

Q9

The map shows the position of four Underground Stations in London.

The symbol for an underground station is 



Map Scale 1 cm = 100 m

- (a) Calculate the **actual distance** between Goodge Street Underground Station and Holborn Underground Station.

Show your working clearly.

Answer \_\_\_\_\_ m [2]

- (b) Great Ormond Street Children's Hospital is 550 m due North of Holborn Underground Station.

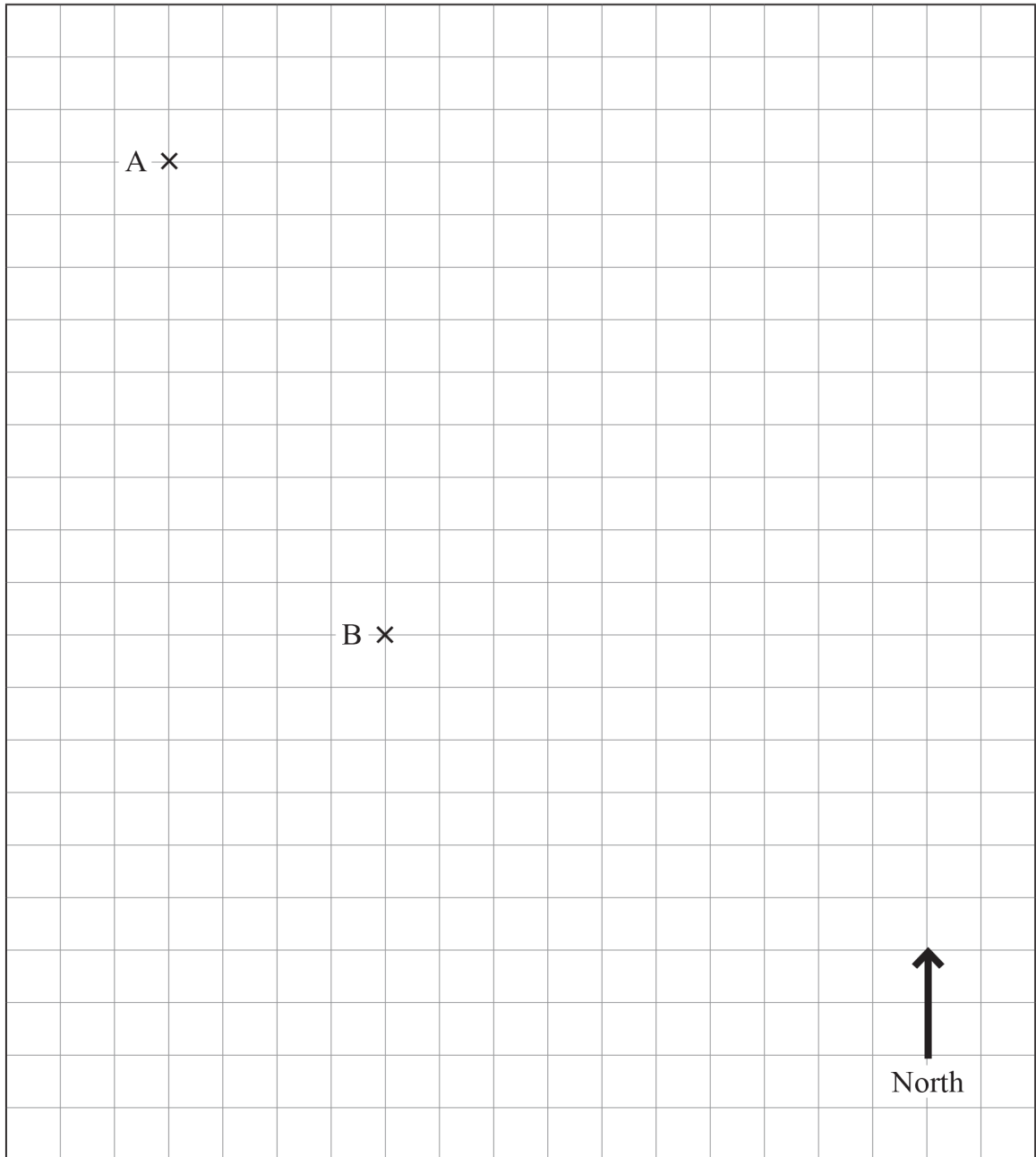
Mark the exact position of the hospital with an X. [2]

**Q10**

The position of two Airport Control Towers, A and B, are shown.

(a) What is the bearing of B **from** A?

Answer \_\_\_\_\_ ° [1]



**(b)** The two towers pick up a distress signal from a plane.

The bearing of the plane from A is  $110^\circ$

The bearing of the plane from B is  $050^\circ$

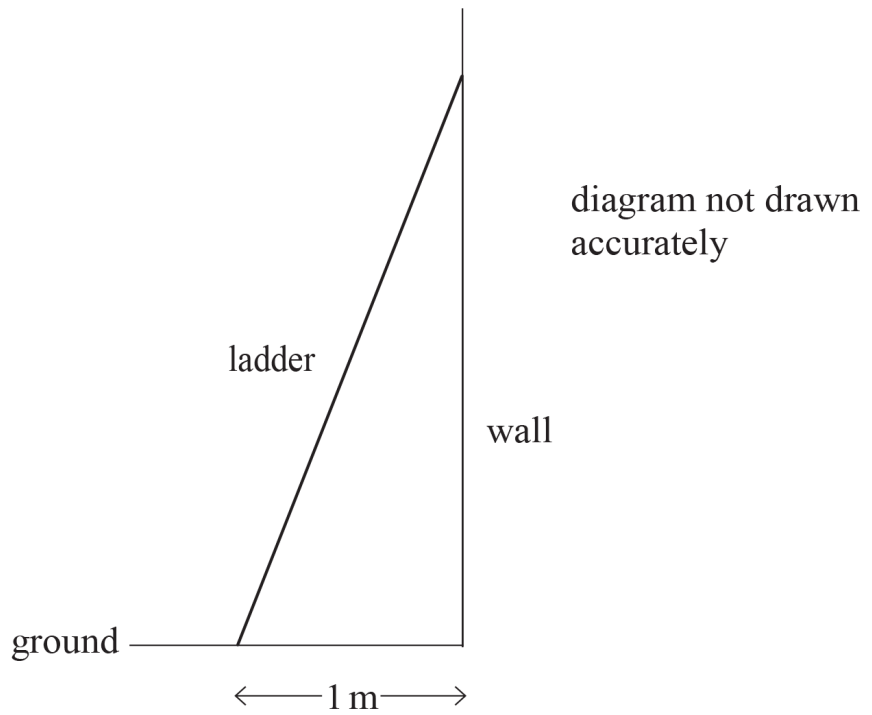
Find and mark the position of the plane with a P on the diagram.

[2]

---



**Q11**



A ladder is 4 metres long.

The bottom of the ladder is 1 metre from a vertical wall.

Use a scale drawing, with 4 cm : 1 m, to find the height of the top of the ladder above the ground.

wall

**Q12**

Draw the locus of all points which are the same distance from **A** and **B**.

**A**  
×

×  
**B**

[2]

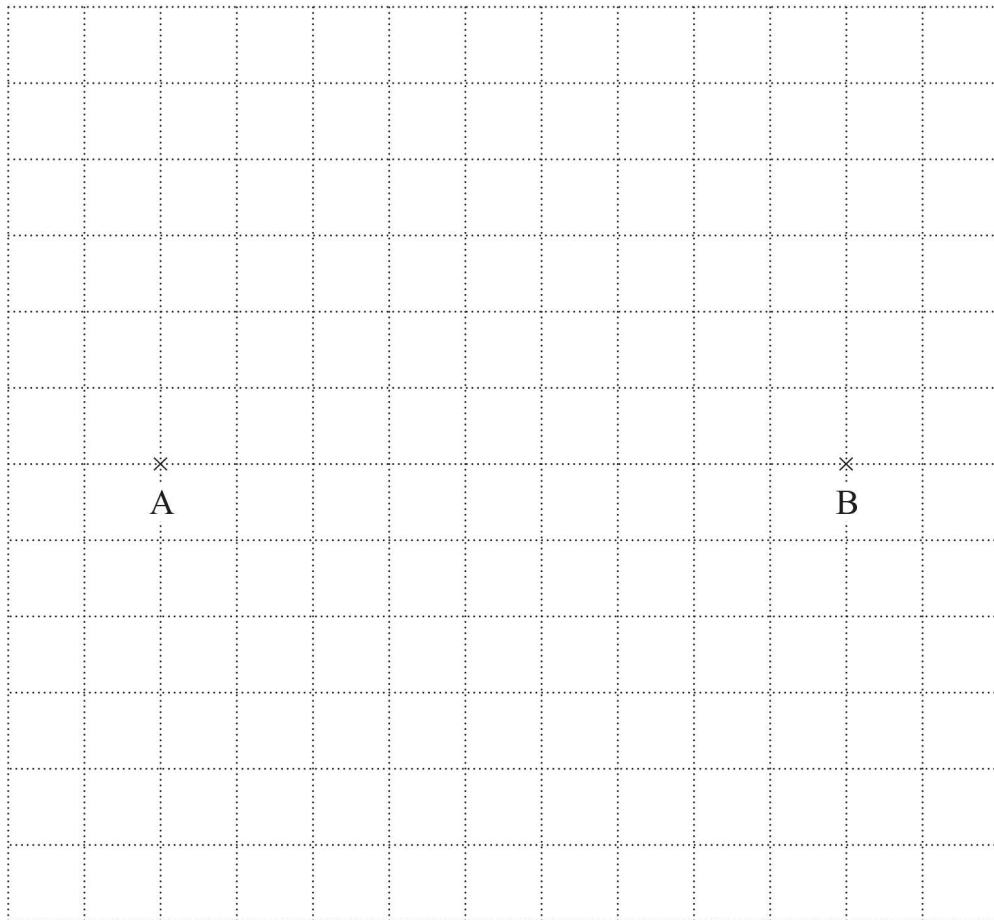
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**Q13**

Two transmitters are located at points A and B, 9 metres apart.

The best reception is an area which is less than 6 metres from A and closer to B than to A.

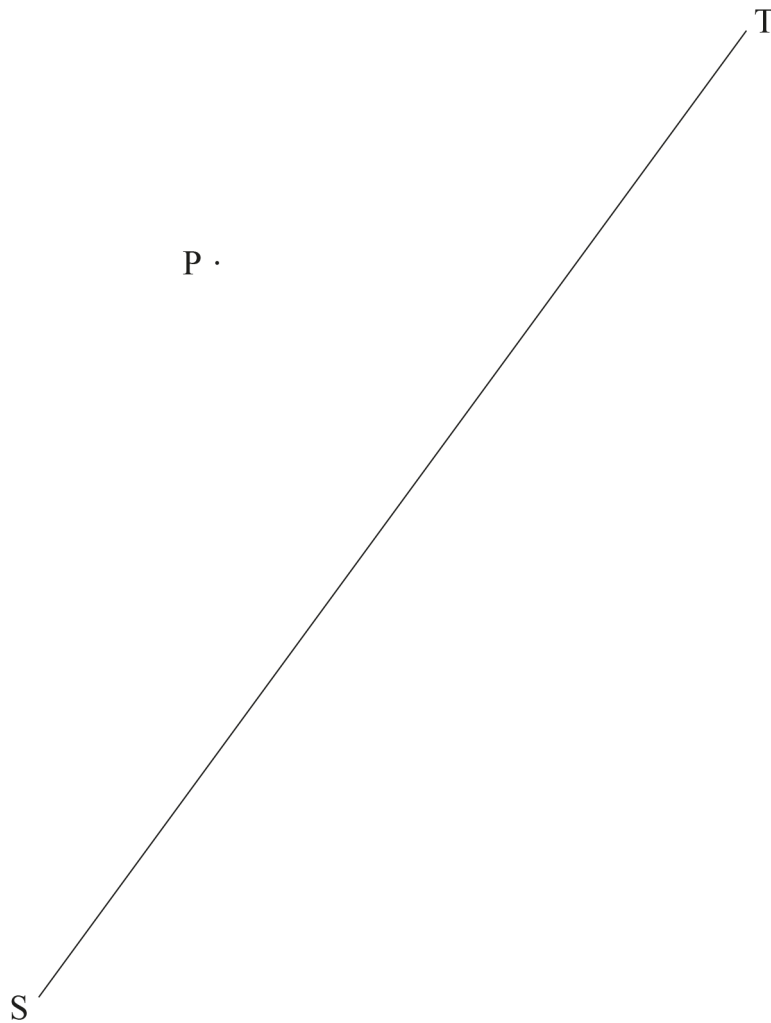
Shade this area on a scale drawing below, using a scale of 1 cm to 1 metre.



[3]

**Q14**

Construct the line which represents the shortest distance from point P to the line ST in the diagram below.



[2]

1.  $360 \div 5 = 72$  **or**  $360 \div 5 = 72$  **or**  $540 \div 5 = 108$  MA1  
 $360 \div 6 = 60$   $360 \div 6 = 60$   $720 \div 6 = 120$  MA1  
 $72 + 60$   $108 + 120$   $108 + 120 = 228$  MA1  
 $132$   $360 - (108 + 120) = 132$   $360 - 228 = 132$  MA1
- 

2. (a) Exterior angle = 30 MA1  
 Number of sides =  $\frac{360}{30} = 12$  MA1  
 (b) equilateral triangle  
 Allow A1 for sight of  $60^\circ$  in calculation or diagram A2
- 

3. Angle JDC =  $75^\circ$  MA1  
 $360^\circ \div 9 = 40^\circ$ ,  $180^\circ - 40^\circ = 140^\circ$  M1 A1  
 Angle EDJ =  $145^\circ$  MA1
-

4.

(a)  $360 \div 24$   
15

M1  
A1

(b)  $180(n - 2) = 1800$   
 $n = 12$

M1  
A1

---

5.

(a)  $360 \div 15 = 24$

M1A1

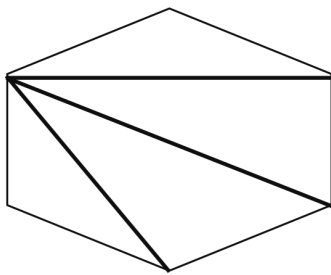
(b) no

A1

---

6.

(a)



A1

(b)  $(4 \times 180) = 720$

MA1

(c)  $(4 \times 360) = 1440$

MA1

---

7. Total of angles in pentagon = 540 MA1
- $540 - 479 = 61$  MA1
- Angle a = 180 - 61  
a = 119 MA1
- 

8.  $3 \times 180 = 540^\circ$  MA1
- $540 - (114 + 98 + 48 + 70)$
- $540 - 330$  MA1
- $= 210^\circ$  A1
- 

9. (a) Distance measured accurately in cm (tolerance of 0.2 cm) MA1
- Measure  $\times 100 =$  Actual distance in metres MA1
- (b) Position marked at 5.5 cm due north (tolerance of 0.2 cm) A1 A1
-



10.

(a) bearing  $156^\circ (\pm 2^\circ)$

A1

(b) correct line from A and correct line from B

A1

lines intersect to locate position of P

A1

11.

4 cm line

MA1

16 cm ladder

MA1

height measured  $\div 4$

MA1

4 cm line

MA1

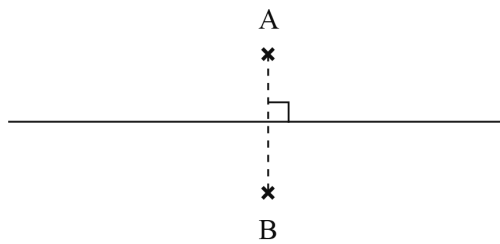
16 cm ladder

MA1

height measured  $\div 4$

MA1

12.



M1 A1

13.

Circle, centre at A and radius of 6cm

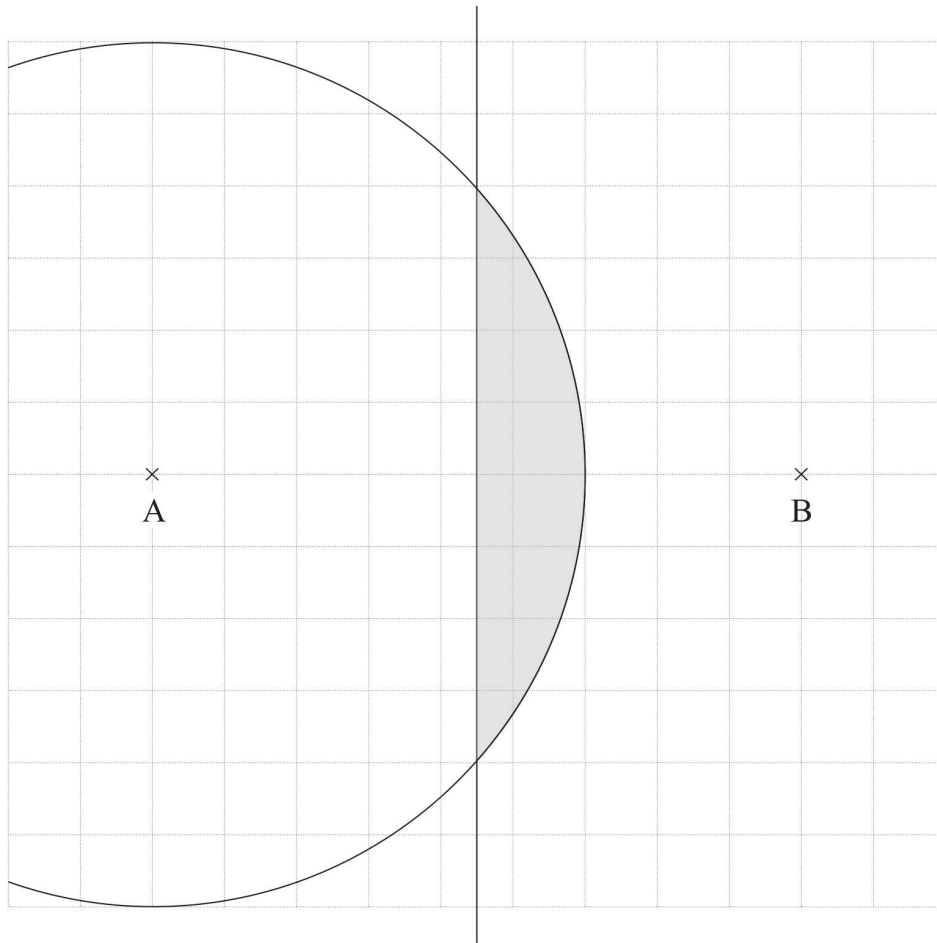
Perpendicular bisector of AB (drawn, not necessarily constructed)

Correct area shaded

A1

A1

A1



14.

Construction of perpendicular from P onto ST  
(allow A1 for arcs, but not completed)

A2